

**The University of British Columbia**  
**Computer Science 304**

**Midterm Examination**  
**February 5, 2007**

Time: 50 minutes

Total marks: 38

Instructor: Rachel Pottinger

Name ANSWER KEY Student No \_\_\_\_\_  
(PRINT) (Last) (First)

Signature \_\_\_\_\_

**This examination has 6 pages.**

**Check that you have a complete paper.**

This is a closed book, closed notes exam. No books or other material may be used.

Answer all the questions on this paper.

Give very **short but precise** answers.

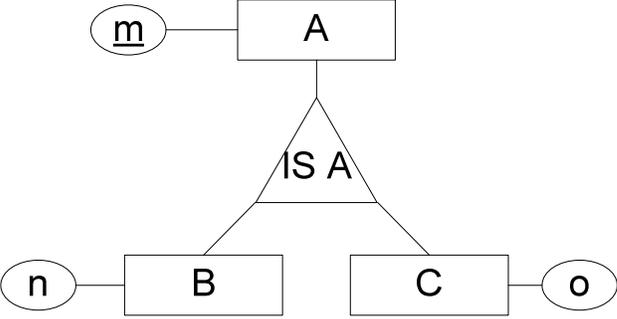
State any assumptions you make

Work fast and do the easy questions first. Leave some time to review your exam at the end.

Good Luck

<b>Question</b>	<b>Mark</b>	<b>Out of</b>
1		6
2		11
3		4
4		10
5		7

1. {6 marks, 1 mark per question} Circle only **one** answer per question – no points will be taken off for incorrect answers (i.e., you might as well guess):

<p>a. If X is a key of a relation R, X is also a superkey of R  <i>True. A superkey is a key plus zero or more additional attributes</i></p>	<p><u>True</u> False</p>
<p>b. A relationship in an ER diagram must be uniquely determined by the entities in that relationship  <i>True. This is why a key of a relationship is at most the keys of the entities involved (though in cases like many-to-one relationships, we may not need all entities)</i></p>	<p><u>True</u> False</p>
<p>c. Every relation that is in BCNF is also in 3NF  <i>True. BCNF is strictly more restrictive than 3NF</i></p>	<p><u>True</u> False</p>
<p>d.   A, B, and C above should be represented by two tables, B(<u>m</u>,n), C(<u>m</u>,o), in a corresponding relational schema if the IS-A relationship is partial  <i>False. See relational slide 47- this method cannot be applied if the relationship is partial</i></p>	<p>True <u>False</u></p>
<p>e. <math>MN \rightarrow O, P \rightarrow Q, Q \rightarrow O</math> is a minimal cover for the set of functional dependencies  <math>MN \rightarrow O, P \rightarrow Q, MN \rightarrow Q, Q \rightarrow O</math>.  <i>False. There's no way to derive <math>MN \rightarrow Q</math> from the first list of dependencies. This question is isomorphic to a question in practice test 4</i></p>	<p>True <u>False</u></p>
<p>f. An insertion anomaly is when it may not be possible to store certain information unless some other, unrelated, information is stored as well  <i>True. See book, page 607</i></p>	<p><u>True</u> False</p>

2. {11 marks} Consider the schema  $R = (A, B, C, D, E)$  together with the functional dependencies:

$AB \rightarrow C$

$CD \rightarrow A$

$C \rightarrow E$

$C \rightarrow B$

- a. {4 marks} What are the key(s) of  $R$ ? Show your work to prove why each key is a key

Keys:

$AB^+ = ABCE$

$CD^+ = CBDAE$

$C^+ = CEB$

$ABD^+ = ABDCE$

Keys:  $ABD, CD$

- b. {5 marks} Is  $R(A, B, C, D, E)$  in **BCNF**? Why or why not? If not, decompose this relation into BCNF using the algorithm we covered in class and in the book; circle all answers in your final decomposition.

*No.  $AB$  is not a key of  $R$  since  $AB^+ = ABCE$  (and does not include  $D$ ). So decompose on  $AB \rightarrow C$ , which yields  $R_1(A, B, C)$ , and  $R_2(A, B, D, E)$ . Is  $R_1$  in BCNF? No,  $C \rightarrow B$  violates BCNF for  $R_1$ , since  $C$  is not a key of  $R_1$ . Decomposing  $R_1$  on  $C \rightarrow B$  yields  $R_3(C, B)$ ,  $R_4(C, A)$ , both of which are in BCNF since they are both two attribute relations, and every two attribute relation is automatically in BCNF. What about  $R_2$ ?  $R_2$  is not in BCNF because the closure of  $AB = ABCE$ . When you project this to  $R_2$ , we see that  $AB$  determines  $E$  but does not determine  $D$ . Therefore, this is a violation of BCNF, and must be decomposed to  $R_5(A, B, E)$ ,  $R_6(A, B, D)$ .  $AB$  is a key of  $R_5$ , so despite the projected dependency of  $AB \rightarrow E$ , this is not a violation.  $R_6$  is in BCNF because the closure of  $AB$  does not include  $D$  (the only other attribute in  $R_6$ ), and this is the only interesting closure in  $R_6$  other than the trivial closure that the projection of  $ABD^+$  on  $R_6$  is  $ABD$ .*

*Thus the final decomposition is  $R_3(C, B)$ ,  $R_4(C, A)$ ,  $R_5(A, B, E)$ ,  $R_6(A, B, D)$*

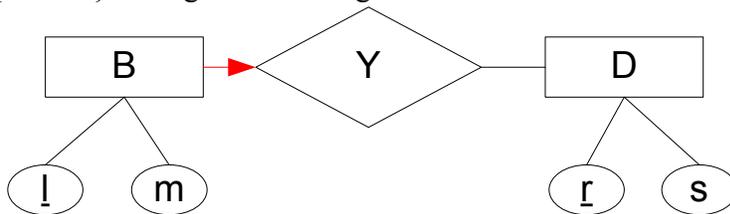
- c. {2 marks} Is  $R(A, B, C, D, E)$  in **3NF**? Why or why not?

*No. The functional dependency  $C \rightarrow E$  violates 3NF because  $C$  is not a superkey, and  $E$  is not part of any key*

3. {4 marks} ER relationship types.

a.

i. {1 mark} Change the ER diagram below so that B to D is a Many to One relationship



*An arrow has been added from B to Y; see ER slide 12*

ii. {1 mark} Give a set of entities for B and D that violate the above constraint, and explain why they violate it

B:

<i>l</i>	<i>m</i>
1	2

D:

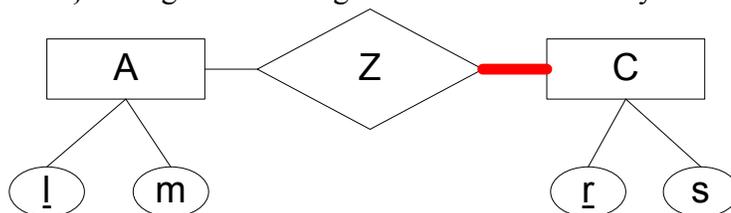
<i>r</i>	<i>s</i>
1	2
3	4

*Where we have  $Y(l,r) =$  because  $l$  should determine  $r$ , and it does not*

<i>l</i>	<i>r</i>
1	1
1	3

b.

i. {1 mark} Change the ER diagram below so that every C must participate in Z



*Where the line between Z and C has been made thick (see ER slide 18)*

ii. {1 mark} Give a set of entities for A and C that violate the above constraint, and explain why they violate it

A:

<i>l</i>	<i>m</i>
1	2

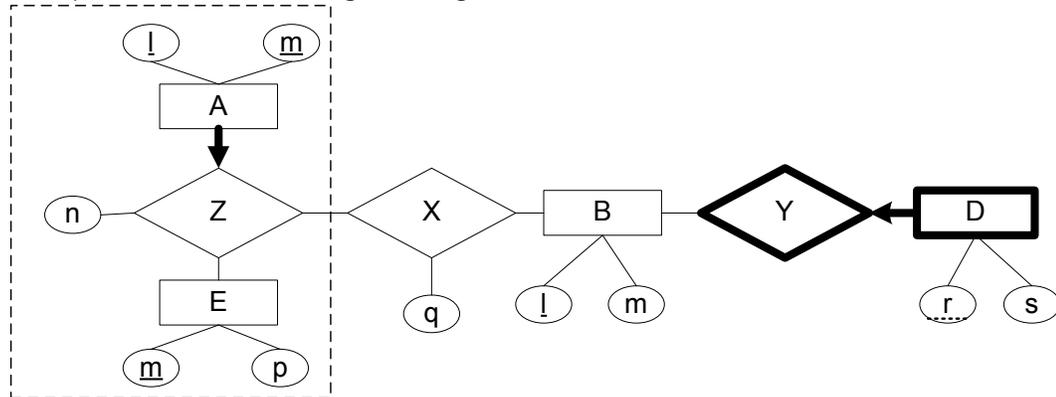
C:

<i>r</i>	<i>s</i>
1	2
3	4

*Where we have  $Y(l,r) =$  because  $C(3,4)$  should participate in  $Y$  and it does not.*

<i>l</i>	<i>r</i>
1	1

4. {10 marks} Given the following ER diagram:



Transform the ER diagram into a relational schema using the methods discussed in class/the book. State any assumptions that you make – but your assumptions cannot contradict the facts given.

- a. {8 marks} Give the SQL DDL necessary to create the relational schema. You do *not* have to include types for any attributes

Tables:

$AZ(l, \underline{m}, n, e-m)$ ,  $E(\underline{m}, p)$ ,  $X(\underline{l}, \underline{m}, q, b-l)$ ,  $DY(r, s, l)$ ,  $B(\underline{l}, m)$

CREATE TABLE AZ(

$l$ ,

$m$ ,

$n$ ,

$e-m$  NOT NULL,

PRIMARY KEY ( $l, m$ ),

FOREIGN KEY ( $e-m$ ) REFERENCES E)

CREATE TABLE E(

$m$ ,

$p$

PRIMARY KEY( $m$ ))

CREATE TABLE X(

$l$ ,

$m$ ,

$q$ ,

$b-l$

PRIMARY KEY( $l, m, b-l$ )

FOREIGN KEY ( $l, m$ ) REFERENCES AZ

FOREIGN KEY ( $b-l$ ) REFERENCES B)

CREATE TABLE DY(

$r$ ,

$s$ ,

$l$ ,

PRIMARY KEY( $r, l$ ),

FOREIGN KEY( $l$ ) REFERENCES B

ON DELETE CASCADE)

CREATE TABLE B(

$l$ ,

$m$ ,

PRIMARY KEY( $l$ ))

- b. {2 marks} Are there any constraints in the relational schema that cannot be modeled without using assertions? If so, which constraint(s)? If not, why not?

*No, all constraints in this diagram can be modeled without using assertions. Assertions are only needed for participation constraints on relationships that are not many-to-one, and the one participation constraint can be modeled using an “is not null” constraint.*

5. {7 marks} Consider the following relation instance:  
*This question is isomorphic to question 2 in practice test 2*

A	B	C
Eric	2	Dempster
Eric	2	ICICS/CS
Ting	3	ICICS/CS
Ting	3	Dempster
Ying	5	SUB
Ying	6	Koerner

a) {5 marks} Observe that  $B \rightarrow A$  appears to hold with respect to the given instance. Check to see if all of the following dependencies hold with respect to the instance, *and give a reason if they do not.*

- $A \rightarrow B$   
*No, because of  $A = Ying$ .*
- $A \rightarrow C$   
*No, because of  $A = Eric$ , for instance.*
- $B \rightarrow C$   
*No, because of  $B = 2$ , for instance.*
- $C \rightarrow A$   
*No because of  $C = Dempster$ , for instance.*
- $C \rightarrow B$   
*No, because of  $C = Dempster$ , for instance.*

b) {2 marks} Determine the minimum number of tuples that can be added to the above instance to invalidate  $B \rightarrow A$ . Demonstrate your answer by showing example(s) of such tuple(s).  
*(1 mark) It takes two tuples to invalidate a functional dependency. Thus, the minimum number of tuples to add to the instance is 1.*

*(1 mark) We can add for instance the tuple  $\langle Ting, 2, Dempster \rangle$  to the relation instance.*