

Can Memes Drive Genes?

by

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for

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1 What are memes?

- for my purpose defined as ideas which are transmitted via imitation
- assume “catchiness” of idea not completely dependent on source
- then a meme is a new replicating entity
- *memetic fitness not identical to genetic fitness*
- but memes and genes interact

2 Motivation

- orthodox view (I think) is that culture serves genetics
- but Blackmore (1999) claims memes can have adverse effect on genes

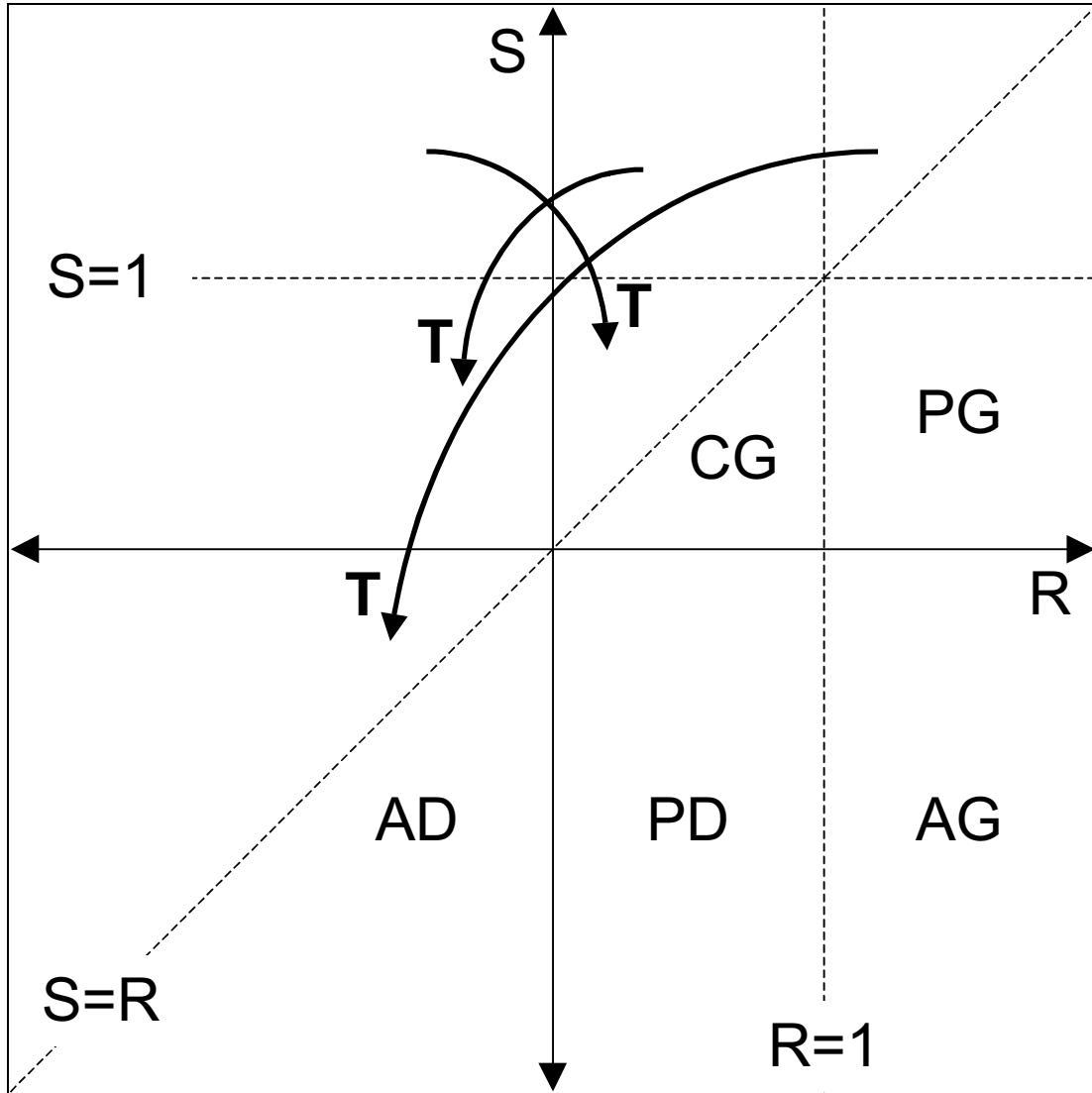
- own intuition was that fast process (memes) must adapt to slow (genes) (adiabatic approximation)
- to test, constructed simple model

3 The Model

- individual-based model
- each individual has single meme/gene pair
- each consists of single bit ('D' or 'C')
- simplest interaction between memes and genes is a 2-player game
- chose a symmetric game to avoid biasing the results. Described by 4 possible payoffs:

		Gene	
		D	C
Meme	D	P=0	T=1
	C	S	R

- with $P=0$, $T=1$, game space still captures all 5 significant collective action games (Heckathorn, 1996)

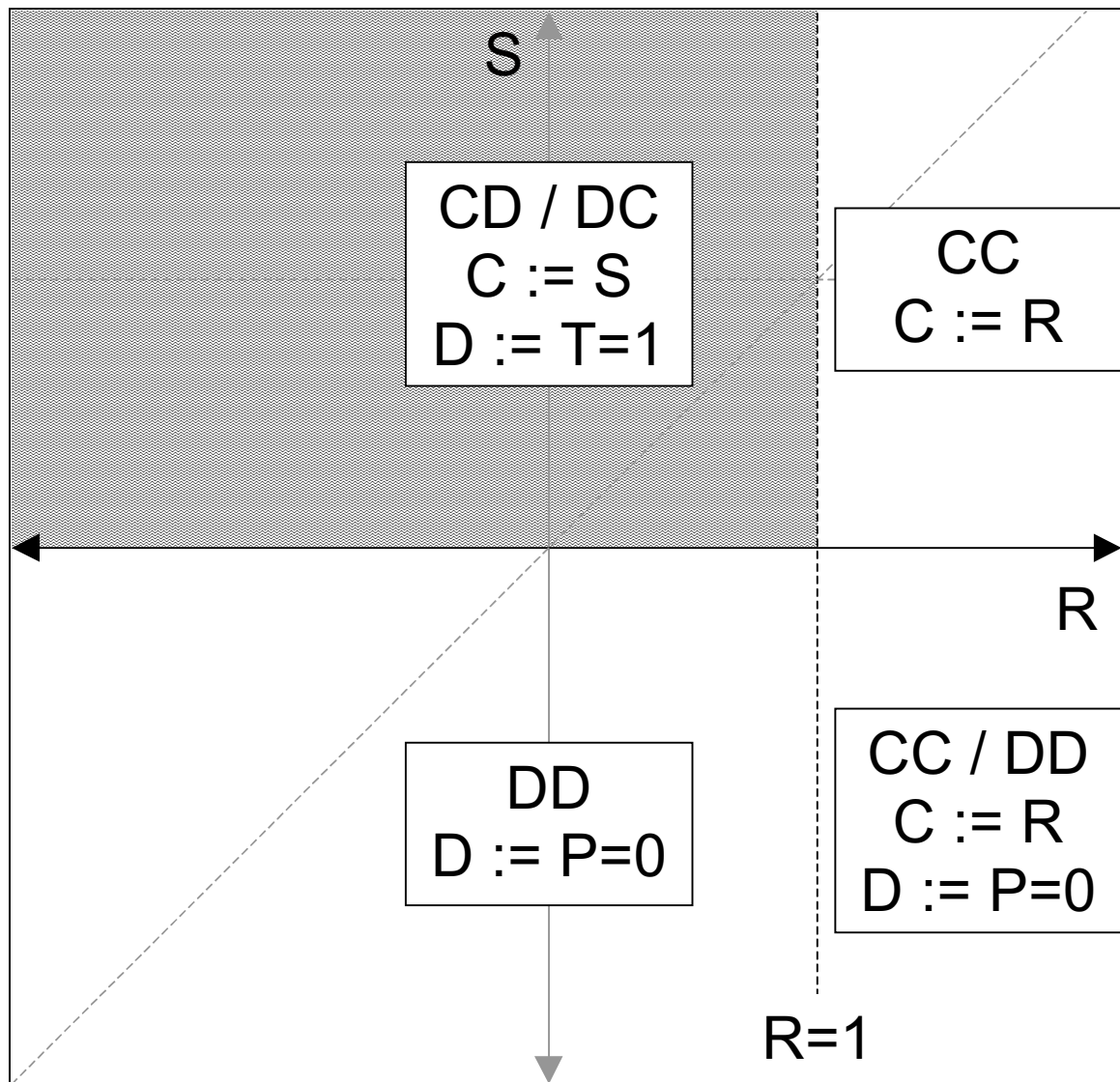


- CG= Chicken Game (T>R>S>P)
- PG= Privileged Game (R>T>S>P)
- AG= Assurance Game (R>T>P>S)
- PD= Prisoner's Dilemma (T>R>P>S)
- AD= Altruist's Dilemma (T>P>R>S)

- **T=transform** ($S \leftrightarrow T$, $R \leftrightarrow P$, $C \leftrightarrow D$)
preserves $T > S$
- 9 distinct games to explore
- 4 of uncertain relevance:
 - $T > S > R > P$ like Chicken except would rather just I swerved, not both (kickback?)
 - $T > S > P > R$ another variation of Chicken
 - $T > P > S > R$ like Altruist's Dilemma (altruists fare poorly, but especially against each other)
 - $R > S > T > P$ like Privileged game (easy to solve, both choose C)

3.1 Nash equilibria

- are configurations such that neither player can improve by changing choice

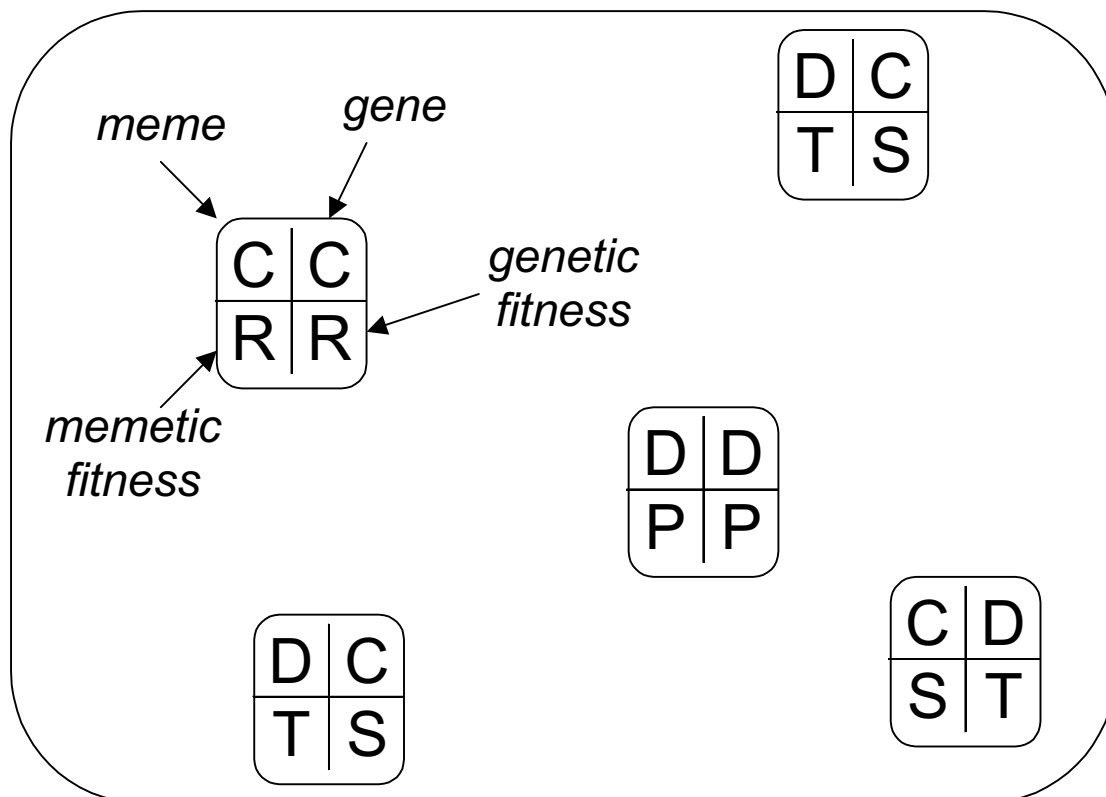


(:= stands for *gets*)

- expect interesting dynamics in upper left region (incl. Chicken)—
competition for the best payoff
- in other regions memes and genes can coordinate for mutual benefit

3.2 Replication

- population of individual agents with 4 properties each



- agents interact via replication events (either memetic or genetic)
- asexual reproduction—fitter variant replaces loser (ties decided by coin flip)
- example: genetic interaction between CC (fitness= R) & DD (fitness= P). If $R > P$ then $DD \rightarrow DC$, else $CC \rightarrow CD$.
- only difference between memes and genes is memetic replication rate ρ faster than genetic ($\rho > 1$)
- each replication has chance of mutation, $0 < \mu < 1/2$ ($C \leftrightarrow D$). $\mu = 1/2$ would be completely random.

4 **Aside: Model Justification**

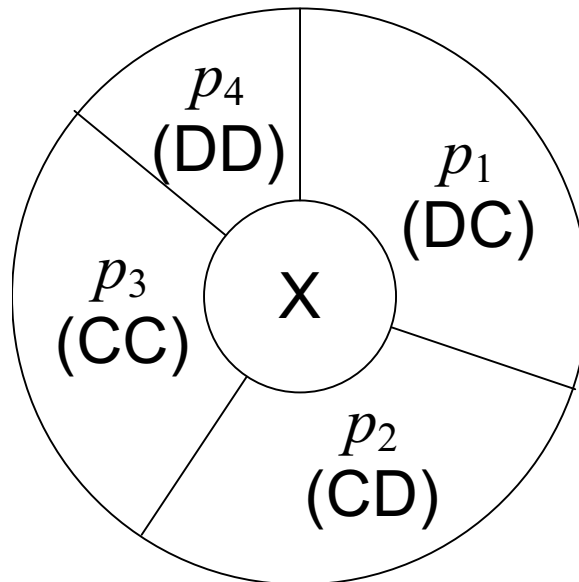
- simplest model I could construct with desired properties:
 - memes and genes are replicators
 - only difference is timescale
 - non-trivial interaction
- simplicity serves two purposes:
 - demonstrates results clearly
 - analytically tractable

5 **Mean field analysis**

- allows estimation of steady-state proportions neglecting correlations

5.1 Method

- label states: DC=1, CD=2, CC=3, DD=4
- consider single agent X in “sea” (field) with frequencies p_1, p_2, p_3 & p_4



- X has state prob's x_1, x_2, x_3 & x_4
- want to determine prob's after one interaction with field, $x'_{1...4}$

$$x'_i = \sum_{jk} x_j p_k T_{j \rightarrow i}^k$$

- $T_{j \rightarrow i}^k$ is transfer prob., likelihood of $j \rightarrow i$ via interaction with k
- self-consistency requires $x_j = p_j$
- steady-state requires $x'_i = x_i$
- so can (theoretically) solve for $p_{1...4}$

5.1.1 SERIES EXPANSION

- couldn't solve exactly
- assume mutation rate small $\mu \ll 1$ so prob can be written as power series

$$p_i = \sum_{j \geq 0} p_i^{(j)} \mu^j$$

- then each side (LHS/RHS) of mean field eqn. can be written as

$$* \text{HS} = \sum_{j \geq 0} (*\text{HS})_j \mu^j$$

- equality must hold for any μ so can solve by requiring equality for each coefficient:

$$(\text{LHS})_j = (\text{RHS})_j$$

- truncate at desired power of μ
- gives approximate solution for stable fixed points

5.2 Results

- 9 regions of R-S parameter space to consider
- in most, dynamics fixate around Nash equilibrium
- in Assurance game ($R > 1$, $S < 0$) DD configuration is unstable, only $p_{CC} \approx 1 - \mu$ is stable

- in (quasi-) Chicken ($R < 1$, $S > 0$) get 2 stable fixed pts.:

<i>Species</i>	<i>Representation</i>
CD	$1-\mu$ or $\Theta(\mu^2)$
DC	$\Theta(\mu^2)$ or $1-\mu$
CC	$\mu/2$
DD	$\mu/2$

6 Simulation

- random sequential updating
- 1 unit Time=1 generation

6.1 Non-spatial

- every agent interacts with every other with equal probability
- confirms mean field results in regions with only one fixed pt.

- in Assurance game ($R > 1$, $S < 0$), finds cooperative Nash equil. (CC) even if initialized at defective Nash eq. (DD)

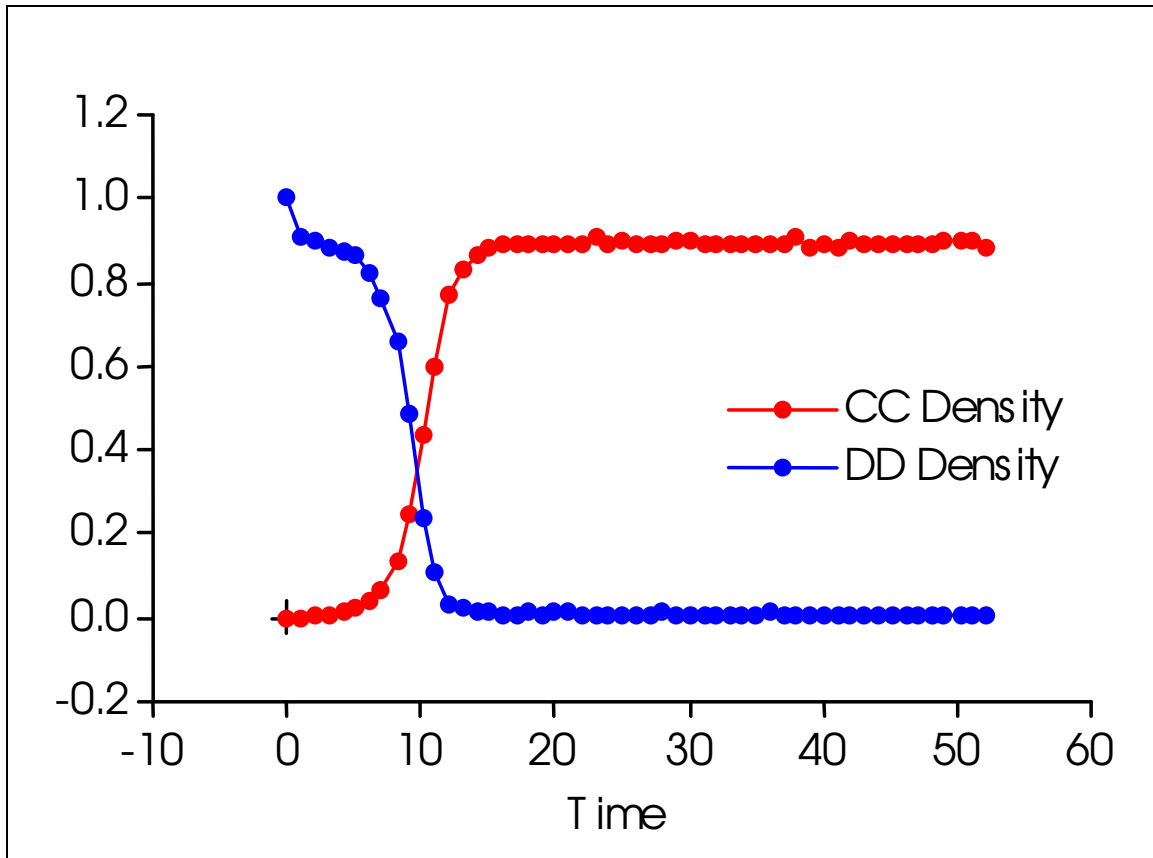


Figure 6.1: Non-spatial, $N=64 \times 64$, $\mu=0.1$, $\rho=10$, $R=3/2$, $S=-1/2$. Initial conditions: all DD.

- in (quasi-) Chicken ($R < 1$, $S > 0$) outcome depends on initial conditions

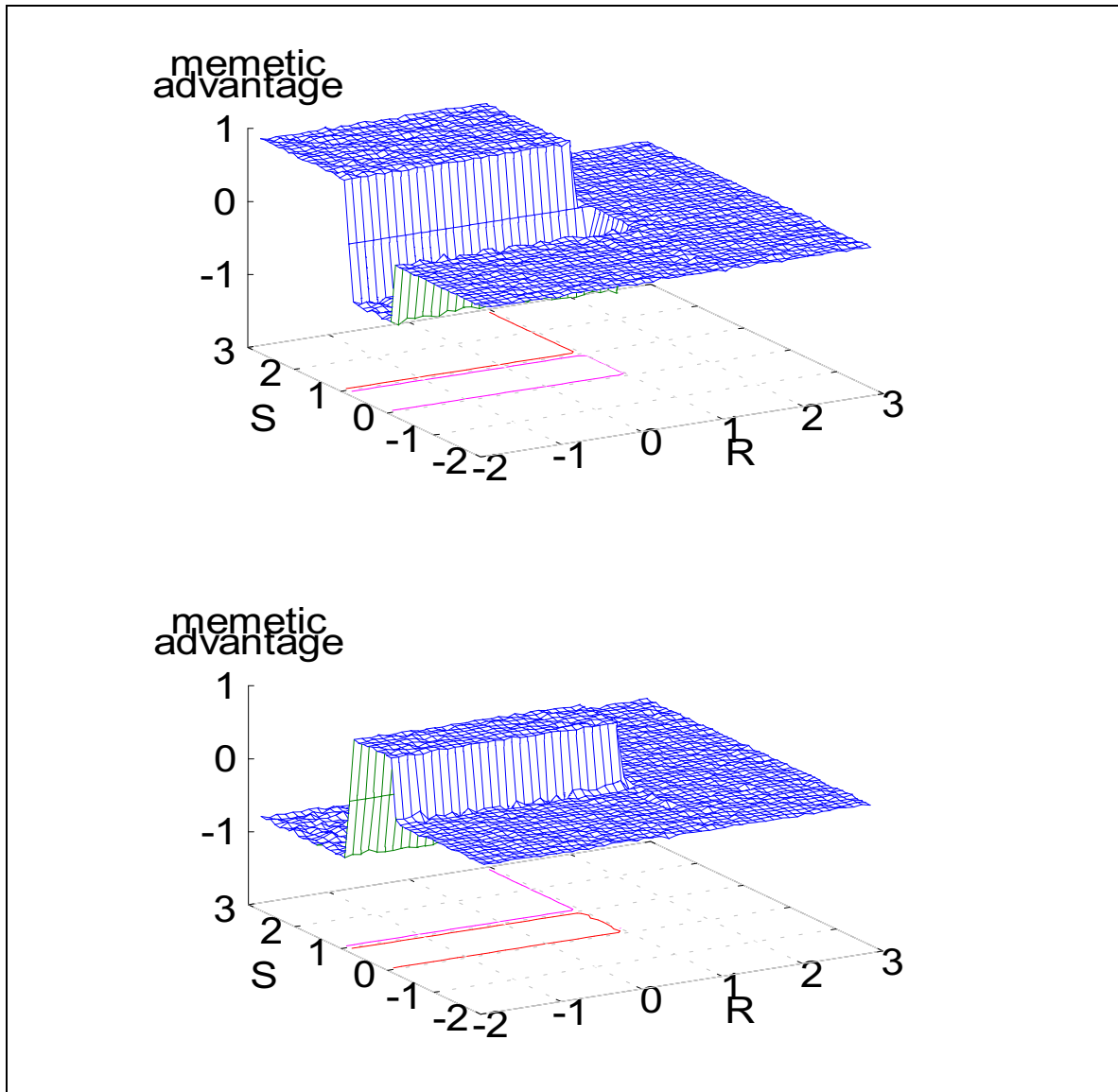


Figure 6.2: Non-spatial, 1,000 generations, $N=32 \times 32$, $\mu=0.1$, $\rho=10$. Initial conditions: all D genes (upper), all C genes (lower). [Memetic advantage = (meme fit. – gene fit.) / |T – S|.]

- neither fixed point can be invaded

Conclusion #1: once genetic advantage has been established it cannot be invaded by competitive memes if interactions are global

6.2 Spatial

- agents only interact with neighbours on lattice
- 2-d von Neumann (8 nearest nbrs.). Also looked at 1-d and random networks with same conclusions
- dynamics generally the same except in quasi-Chicken regime
- in quasi-Chicken ($R > 0$, $S < 1$), initially behaves as mean-field but eventually memes dominate regardless of initial conditions

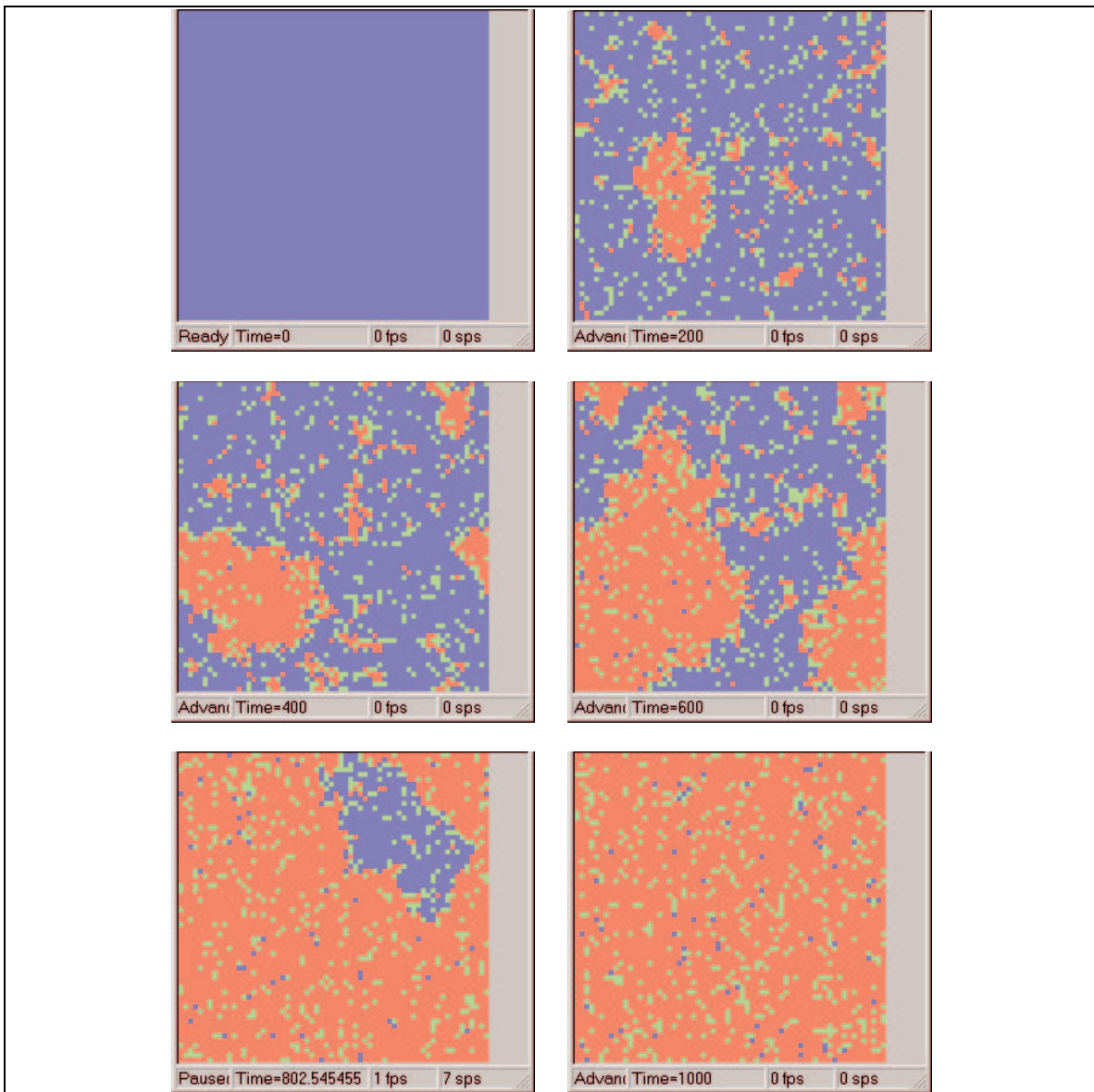


Figure 6.3: Snapshots of 2-d, 8 n.n., $N=64 \times 64$, $\mu=0.1$, $\rho=10$, $R=0.7$, $S=0.3$, at times 0...1,000. (Blue=CD, Green=CC/DD, Red=DC).

- holds for all $R > 0$, $S < 1$

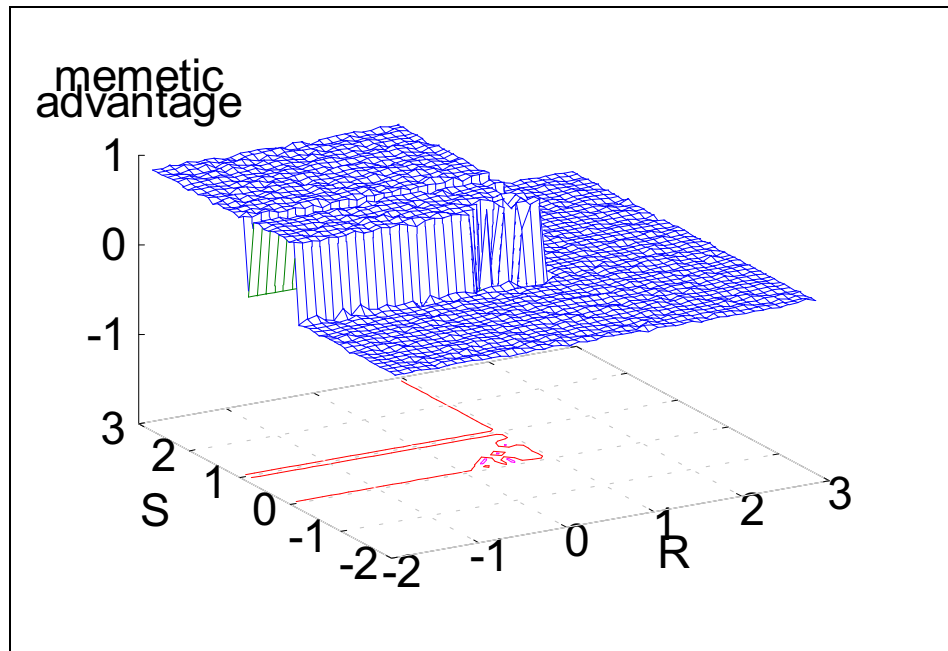


Figure 6.4: 2-d, 8 n.n., 1,000 generations, $N=32 \times 32$, $\mu=0.1$, $\rho=10$, largely independent of initial conditions. [Memetic advantage = (meme fit. – gene fit.) / |T – S|.]

Conclusion #2: successful genes can be undermined by competitive memes if interactions are local

- mechanism poorly understood (by me)
- depends on reciprocal links (does not occur in non-reciprocal random networks)

7 Summary

- successful genes (slow replicator) can be undermined by memes (fast replicator) if:
 - replicators are competing
 - interactions are local and reciprocal
- significance open to interpretation, eg. “globalization is bad because it forces us to put aside compassion and discard the less successful in our society” (paraphrasing Michael)

- simulation tool and model (to be posted on web site (with source code)
<http://rikblok.cjb.net/software/r2dtool/models/>

References

Blackmore, S. (1999). *The Meme Machine*. Oxford University Press.

Heckathorn, D. (1996) The dynamics and dilemmas of collective action. *Amer. Sociol. Review* 61:250—277.